<u>CHAPTER 9 – Energy</u> <u>REVIEW SHEET</u>

Physics

- 1) Definitions
 - a) Work
 - b) Joule
 - c) Power
 - d) Watt
 - e) Energy
 - f) Mechanical energy

Problem Solving

Work with constant force problems $W = F d \text{ or } F d\cos\theta$

Kinetic and Potential Energy problems

Find the work done (change in energy) to stop a car, lift a book or climb a mountain. $KE = \frac{1}{2}mv^2$, $PE_g = mgy$, $PE_E = \frac{1}{2}kx^2$ (F=-kx)

<u>Conservation of mechanical energy problems</u> - Law of Conservation of Energy Given an initial velocity, calculate the maximum height (and vice versa). $E_2=E_1=$ constant (for conservative forces only) or

 $W_{\rm NC} = \Delta KE + \Delta PE$

<u>Power and efficiency</u> How much power is required to lift a mass a certain height in a given time and so on? Efficiency – AMA/IMA

 $\label{eq:machines} \begin{array}{l} \underline{Machines} \\ Work_{in} = work_{out} \\ \mbox{Ideal Mechanical Advantage} = d_{in}/d_{out}, \mbox{ and } \\ \mbox{Actual Mechanical Advantage} = F_{out}/F_{in} \end{array}$

<u>Elastic Collisions</u> Find the velocities of each particle after two particles collide elastically. Use two equations to find two unknowns: Conservation of momentum $-m_1v_1+m_2v_2=m_1v_1'+m_2v_2'$ Conservation of energy (& momentum) $-V_1-V_2=V_2'-V_1'$

Find the velocities of a particle using a ballistic pendulum.

Internet Site: - <u>http://northwoodschool.org/mattroy/</u>

Tutorials, animations, demonstrations and other good stuff

- g) Potential energy
- h) Kinetic energy
- i) Work-energy theoremj) Law of conservation of
 - energy
- k) Machine

- l) Lever
- m) Fulcrum
- n) Mechanical advantage
- o) Pulley
- p) Efficiency
- q) Sources of our energy